

SWITCH Trial

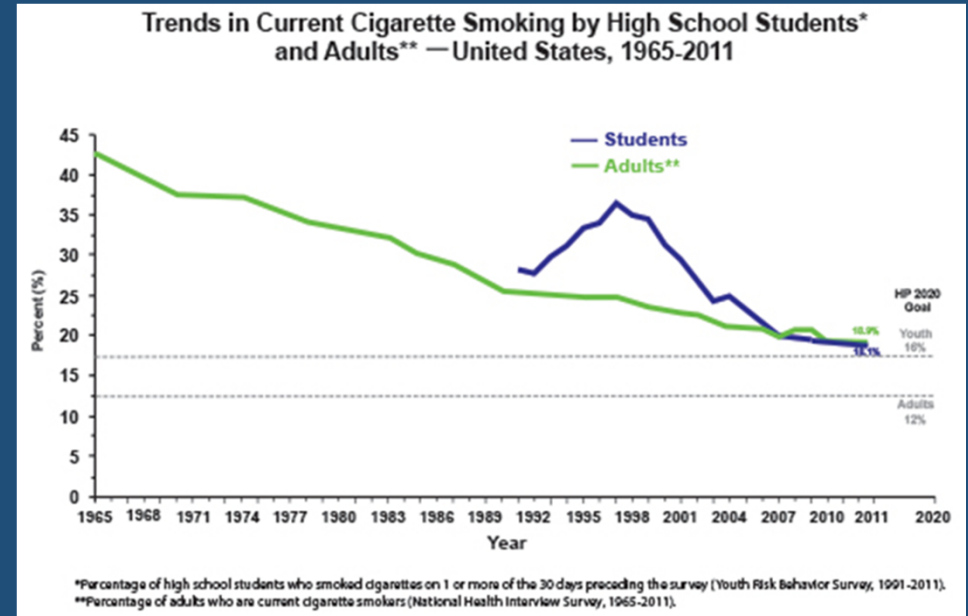
A Sequential Multiple Adaptive Randomization Trial

Background

- Cigarette Smoking (CDC Estimates)
- Morbidity
 - Smoking-caused diseases \geq 16 million Americans (1 in 30)
- Mortality
 - 480,000 deaths per year attributable to smoking in U.S. (5,000,000 globally)
 - 1 in 5 deaths annually or 1,300 deaths per day.
 - 41,000 deaths per year attributable to second-hand smoking
- Cost
 - \$289 billion/year
 - \$133 billion direct medical costs + \$156 billion in lost productivity
 - \$5.6 billion/year attributable to second-hand smoke (2006 data)

Background (CDC Estimates)

- U.S.
 - 18.1 % of U.S. adults
 - 42.1 million
- Texas
 - 19.2% of adults
 - 17.4% of children in grades 9-12
 - 50% of adults in Texas report second-hand smoke exposure within the preceding seven days.



http://www.cdc.gov/tobacco/data_statistics/tables/trends/cig_smoking/

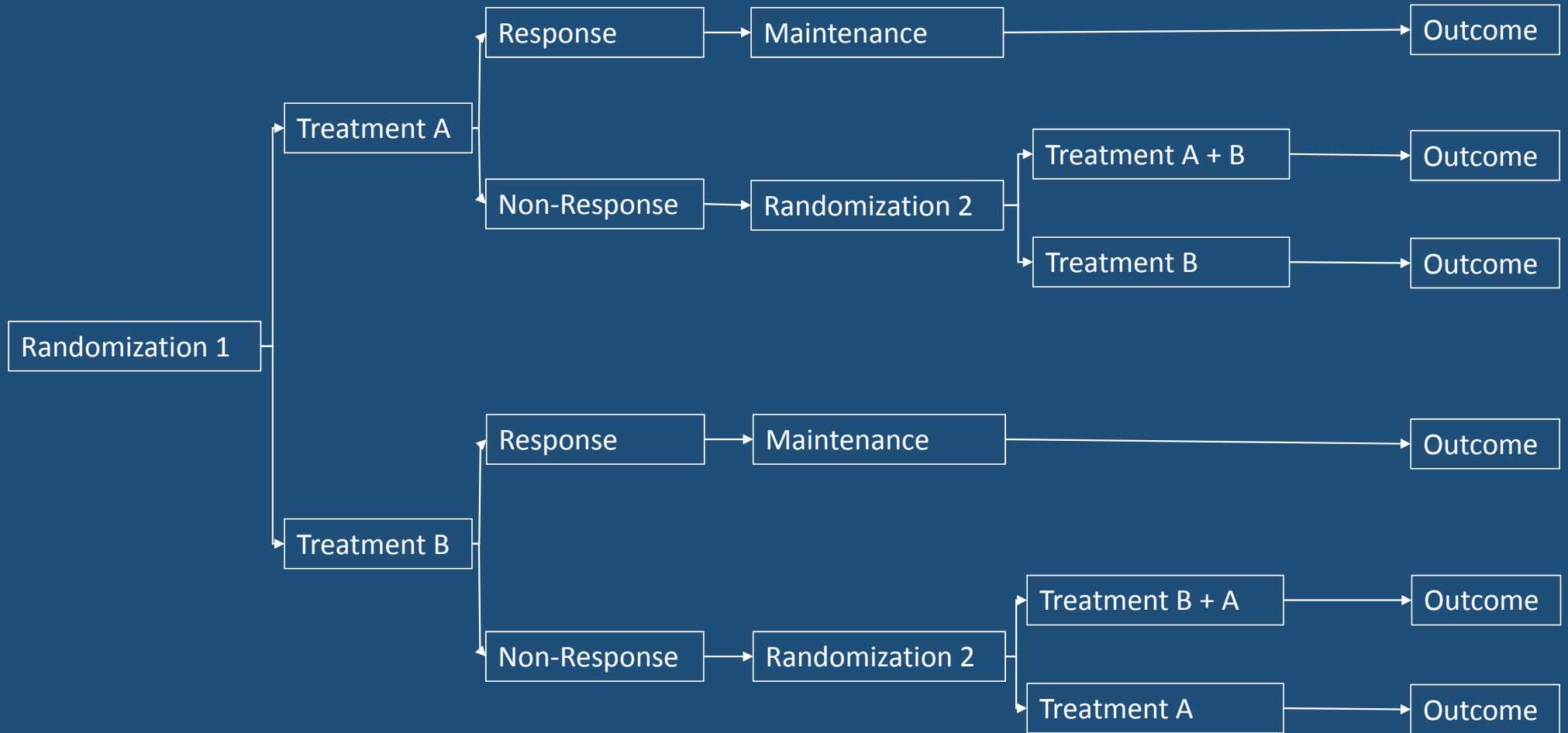
Background

- ~70% of smokers want to quit
- 42.1% of U.S. Adult Smokers report quitting for ≥ 24 hrs as part of a cessation attempt (2010)
- < 5% are abstinent 1 year after a quit attempt
- Multiple quit attempts often required to achieve abstinence.
- Chronic, frequently relapsing course of tobacco dependence.
- Very few clinical trials (~3) evaluate how to proceed with individuals following a failure to quit.
- Addressing chronic, relapsing character of tobacco dependence is *sine non qua* of effective treatment.
- Sequential decision-making should maximize the probability of subsequent treatment success:
 - Choice of treatment initiation
 - Choice of subsequent treatments if initial attempts at cessation do not succeed.
- Given the chronic, relapsing nature of cigarette smoking how can we design a trial that informs sequential treatment decisions?

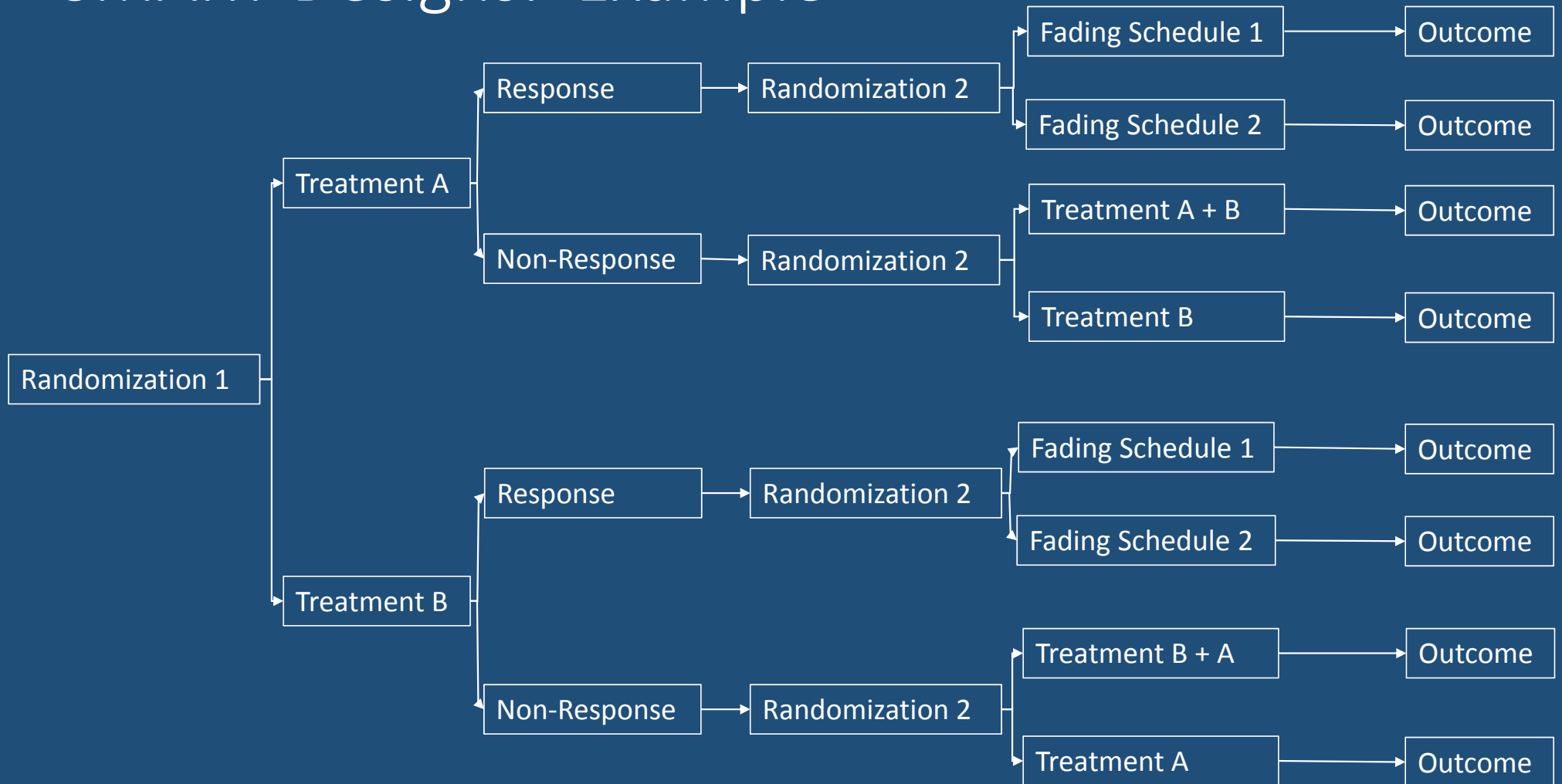
SMART: Sequential Multiple Adaptive Randomization Trials

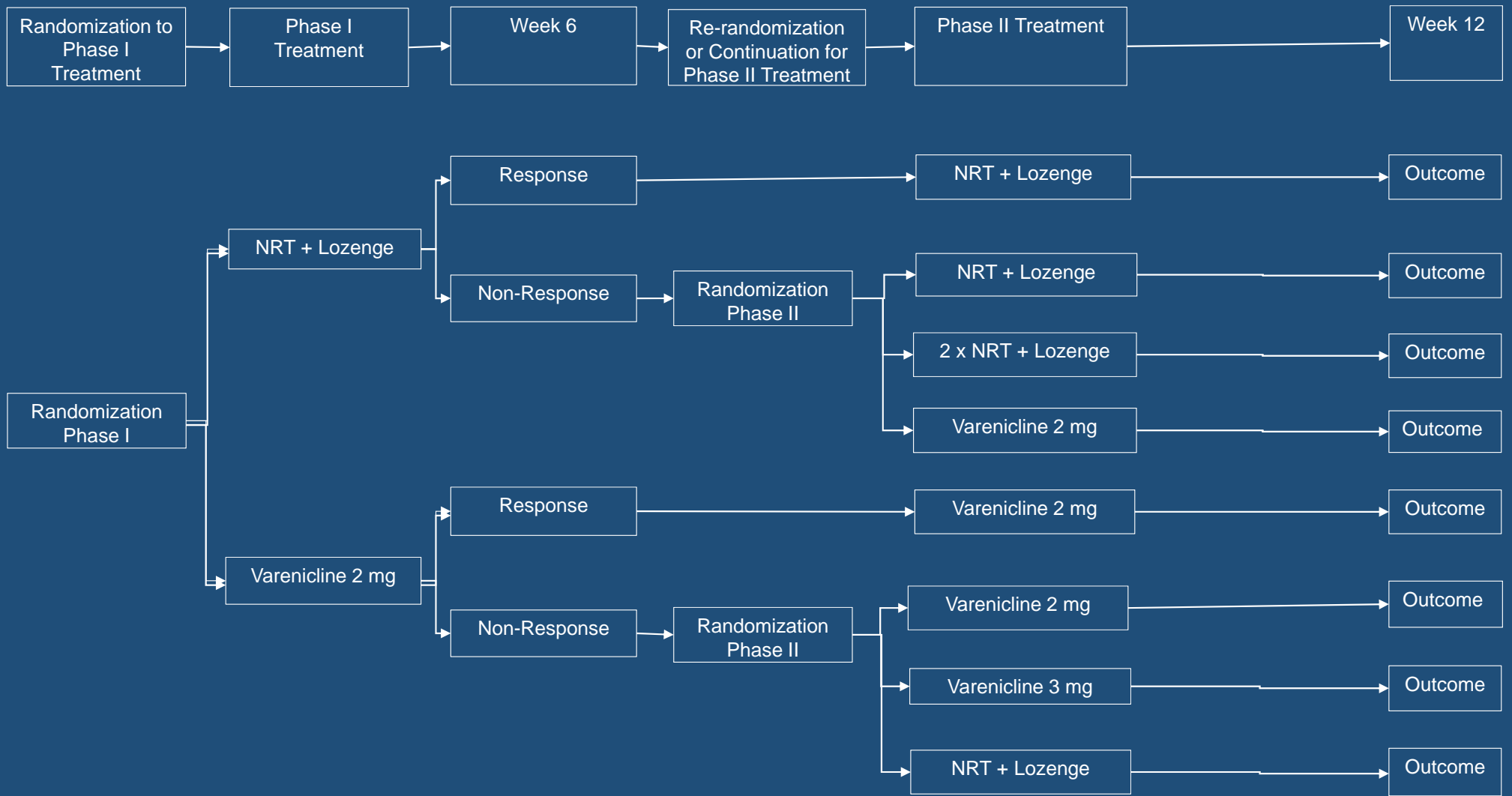
- Evaluate clinical decision-making options.
- Re-randomization at a decision-making point:
- Completed or Ongoing Trials:
 - Cocaine Dependence
 - Relapse Prevention Among Pregnant Drug Abusers
 - Alcohol Abuse
 - Adolescent Substance Abuse
 - ADHD
 - Bipolar Disorder
 - Autism
 - Weight-Loss
 - Obsessive Compulsive Disorder
 - Child and Adolescent Depression

SMART Designs: Example



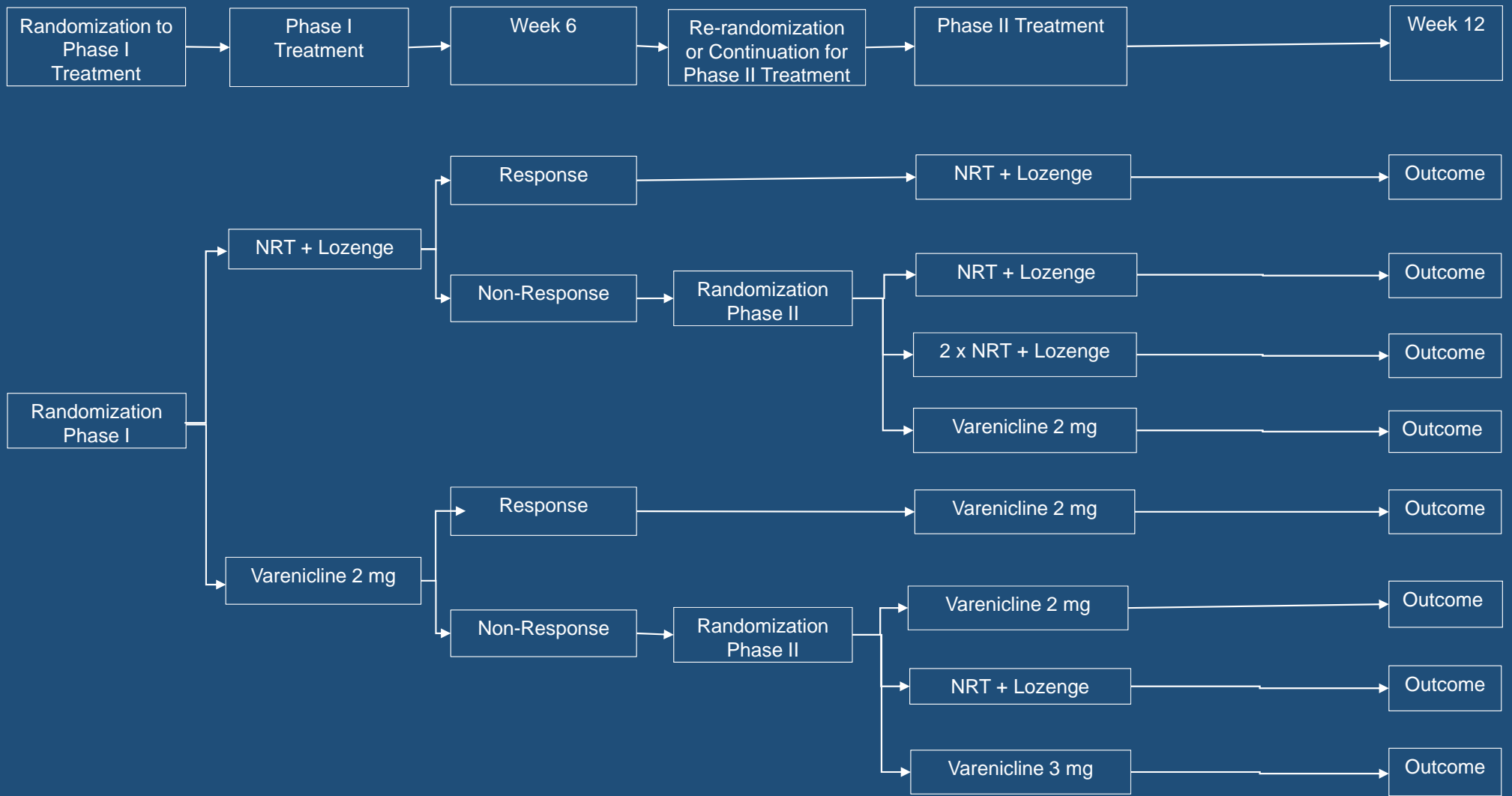
SMART Designs: Example





Hypotheses

- **Aim 1:** To estimate the main effects of VAR 2 mg and nicotine NPL on smokers initially assigned to those treatments in Phase 1 and remaining on these medications through Phase 2.
 - *We hypothesize the probability of abstinence at week 12 will demonstrate superiority of VAR to NPL.*
- **Aim 2:** To estimate the probability that abstinence at the week 12 for those re-randomized to augmentation at week 6 is moderated by their initial treatment assignment.
 - *We hypothesize that the probability of abstinence at the end of treatment will demonstrate superiority for augmented participants originally receiving VAR compared to those who received NPL.*
- **Aim 3:** To estimate the probability that abstinence at the end of treatment for those re-randomized to switch treatments is moderated by initial treatment assignment.
 - *We hypothesize the probability of abstinence at week 12 will demonstrate superiority for switched participants originally receiving NPL compared to those receiving VAR.*
- **Aim 4:** To estimate the probability that abstinence at the end of treatment for those re-randomized to continue, switch or augment treatment in phase 2, confers differential benefit for those initially assigned to NPL.
 - *We hypothesize that the probability of abstinence at the end of treatment will demonstrate superiority for those switched to 2 mg VAR vs. either augmentation, or continuation of their original treatment, and that augmentation (NPL+) will be superior to continuation (NPL).*
- **Aim 5:** To estimate the probability that abstinence at the end of treatment for those re-randomized to continue, switch or augment treatment in phase 2, confers differential benefit for those initially assigned to VAR.
 - *We hypothesize the probability of abstinence at the end of treatment will demonstrate superiority for those receiving augmentation (VAR+) vs. switching to NPL or remaining on VAR.*



Problems

- Contrast coding exists only for the case of randomization to two groups, followed by rerandomization to two groups.
 - Development (Sanjay Schete) of a new coding scheme.
- Sample sizes can rapidly diminish across re-randomizations.
 - Adopting a Bayesian statistical perspective.
- How to judge the operating characteristics of the design?
 - Simulation.
- Given the design complexity how can we develop as robust a trial plan as possible?
 - Take uncertainty into account using predictive priors.

Coding Solution

$$\text{logit}(y) = \beta_0 + \beta_1 * a_1 + \beta_2 * \text{anr}_{21} + \beta_3 * \text{anr}_{22} + \beta_4 * \text{anr}_{23} + \beta_5 * a_1 * \text{anr}_{21} + \beta_6 * a_1 * \text{anr}_{22} + \beta_7 * a_1 * \text{anr}_{23}$$

Coding

Effects

$$\text{Treatment I } \left\{ \begin{array}{l} a = 1: \text{Var } 2\text{mg} \\ a = -1: \text{NRT} + \text{Loz} \end{array} \right\}$$

$$\begin{aligned} \text{NRT} + \text{Loz}_{\text{responders}} &= \beta_0 - \beta_1 \\ \text{Var } 2\text{mg}_{\text{responders}} &= \beta_0 + \beta_1 \end{aligned}$$

$$\text{Continuation } \left\{ \begin{array}{l} \text{anr}_{21} = 1: \text{Continue} \\ \text{anr}_{21} = 0: \text{Otherwise} \end{array} \right\}$$

$$\text{NRT} + \text{Loz}_{\text{nonresponders}} \rightarrow \text{NRT} + \text{Loz} = \beta_0 - \beta_1 + \beta_2 - \beta_5$$

$$\text{Augmentation } \left\{ \begin{array}{l} \text{anr}_{22} = 1: \text{Augment} \\ \text{anr}_{22} = 0: \text{Otherwise} \end{array} \right\}$$

$$\text{NRT} + \text{Loz}_{\text{nonresponders}} \rightarrow 2 * \text{NRT} + \text{Loz} = \beta_0 - \beta_1 + \beta_3 - \beta_6$$

$$\text{Switch } \left\{ \begin{array}{l} \text{anr}_{21} = -1: \text{Augment} \\ \text{anr}_{21} = 0: \text{Otherwise} \end{array} \right\}$$

$$\text{NRT} + \text{Loz}_{\text{nonresponders}} \rightarrow \text{Var } 2\text{mg} = \beta_0 - \beta_1 - \beta_4 + \beta_7$$

$$\text{Var } 2\text{mg}_{\text{nonresponders}} \rightarrow \text{Var } 2\text{mg} = \beta_0 + \beta_1 + \beta_2 + \beta_5$$

$$\text{Var } 2\text{mg}_{\text{nonresponders}} \rightarrow \text{Var } 3\text{mg} = \beta_0 + \beta_1 + \beta_3 + \beta_6$$

$$\text{Var } 2\text{mg}_{\text{nonresponders}} \rightarrow \text{NRT} + \text{Loz} = \beta_0 + \beta_1 - \beta_3 + \beta_7$$

Bayesian Inference

- Logistic Regression

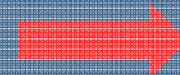
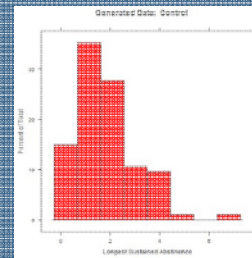
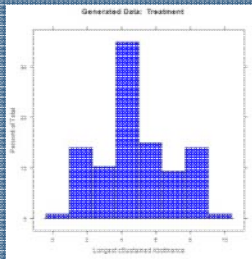
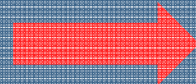
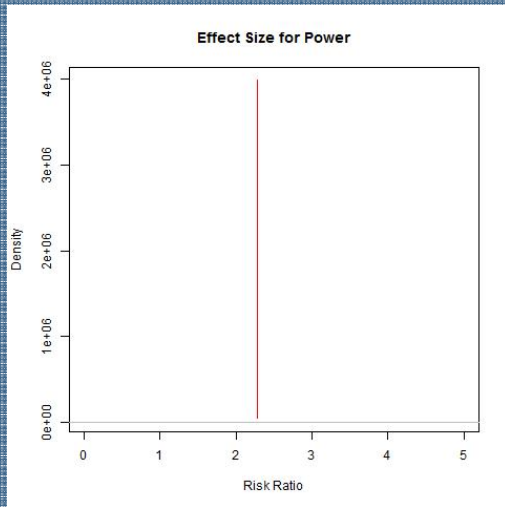
- Vague, neutral prior distributions for coefficients in the log-odds $\sim \text{Normal}(\text{Mean} = 0, \text{Variance} = 1 \times 10^6)$

- Analyses would yield:

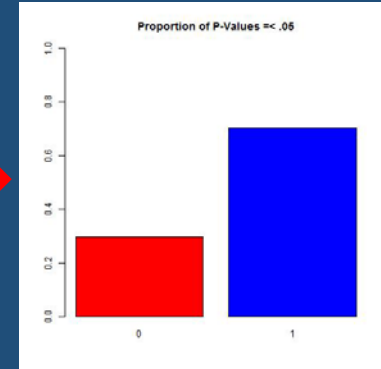
- Estimate of the posterior probability of benefit of participants responding to Phase I treatment.
- Estimate the posterior probability of benefit conferred by specific sequential treatment strategies among initial non-responders.
- Estimate of the posterior probability of benefit of continuation/augmentation/switching following Phase I failure.
- Stipulate that 90% chance (posterior probability) of benefit warrants further investigation of the treatment or treatment sequence.
 - $p(\text{O.R.} > 1 \mid \text{Data}) \geq 0.90$

Conventional Design Simulation: Power

Repeat $\approx 10,000$ Times



p-values



Specify a Distribution of Plausible Parameters

Randomly Draw Set of Parameters

Generate a Sample of Data

Analyze the Generated Sample

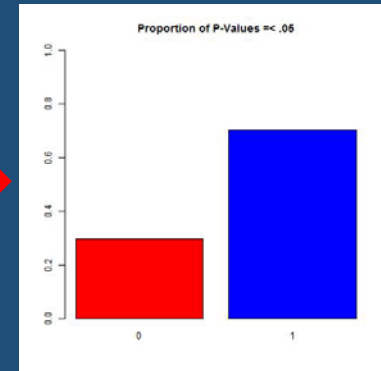
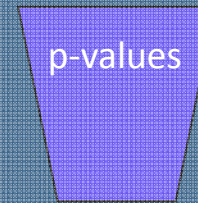
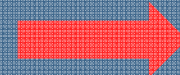
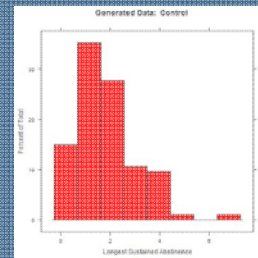
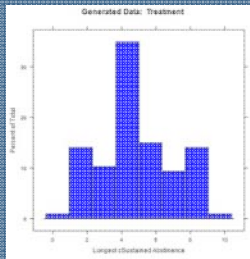
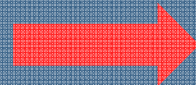
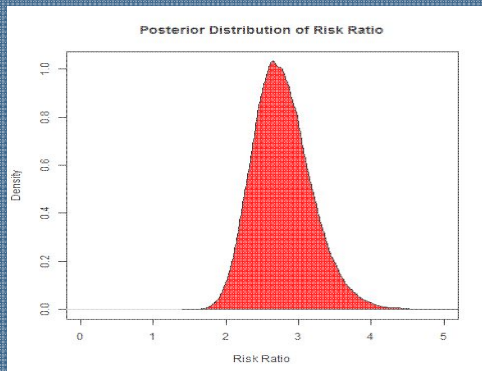
Capture Estimates

Record Whether Estimates Meet Threshold

Proportion meeting Threshold is Power

Robust Design: Predictive Power

Repeat $\approx 10,000$ Times



Specify a Distribution of Plausible Parameters

Randomly Draw Set of Parameters

Generate a Sample of Data

Analyze the Generated Sample

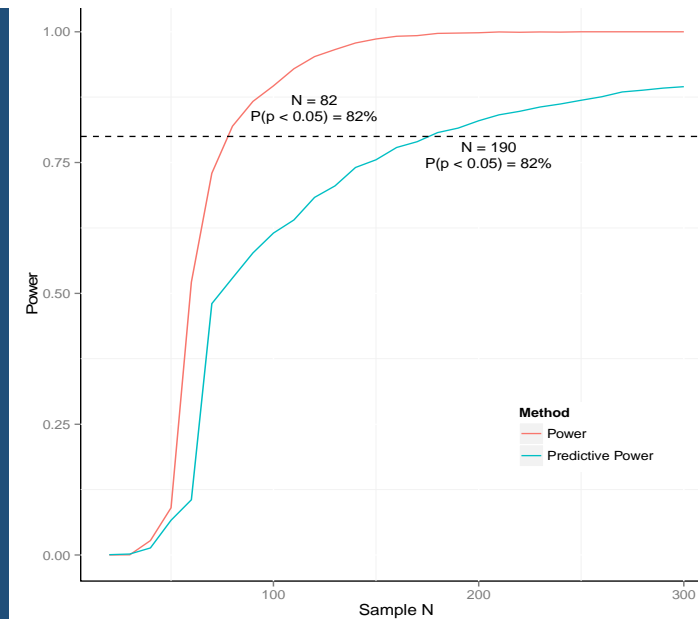
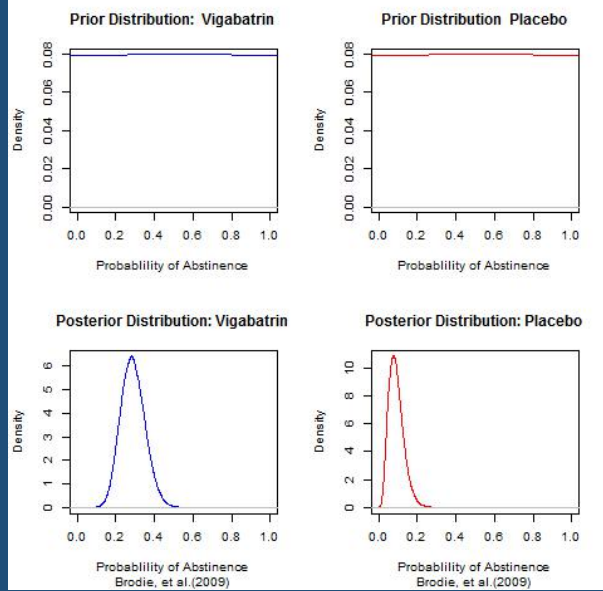
Capture Estimates

Record Whether Estimate Meets Threshold

Proportion meeting threshold is PPP

A Multisite, Double-blind, Placebo-Controlled Clinical Trial to Evaluate the Safety and Efficacy of Vigabatrin for Treating Cocaine Dependence

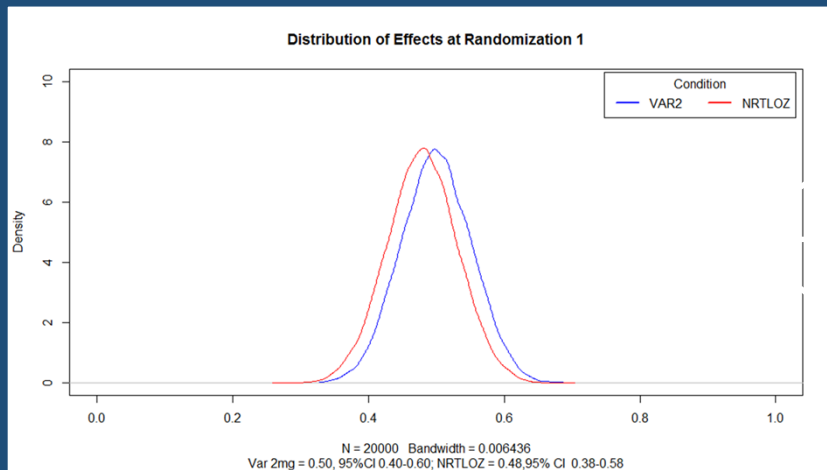
Eugene C. Somoza, MD, PhD; Douglas Winship, BS; Charles W. Gorodetzky, MD, PhD; Daniel Lewis, BS; Domenic A. Ciraulo, MD; Gantt P. Galloway, PharmD; Scott D. Segal, MD; Michael Sheehan, MD; John D. Roache, PhD; Warren K. Bickel, PhD; Donald Jasinski, MD; Donnie W. Watson, PhD; Steven R. Miller, PhD; Peggy Somoza, MS; Theresa Winhusen, PhD



Specify Prior Distributions for Predictive Simulation

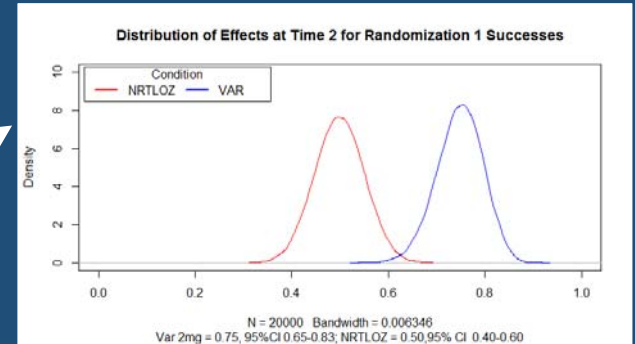
- Dichotomous Outcome
 - Beta-Binomial Model
 - $\pi \sim \text{Beta}(a,b)$
 - a = previously observed successes
 - b = previously observed failures
 - Abstinence \sim Binomial (π)
- Specify Priors Based on Meta-Analytic Reviews
- Consult with a clinical panel to adjust priors derived from the literature.
 - Best estimate regarding probability of abstinence? 50th percentile.
 - Lowest potential estimate for probability of abstinence? 2.5th percentile.
 - Highest potential estimate for probability of abstinence? 97.5th percentile.
 - Back calculate the corresponding Beta density based on two quantiles.
- Do so for outcomes in each cell at six and twelve weeks.

Probability of Success at Six Weeks

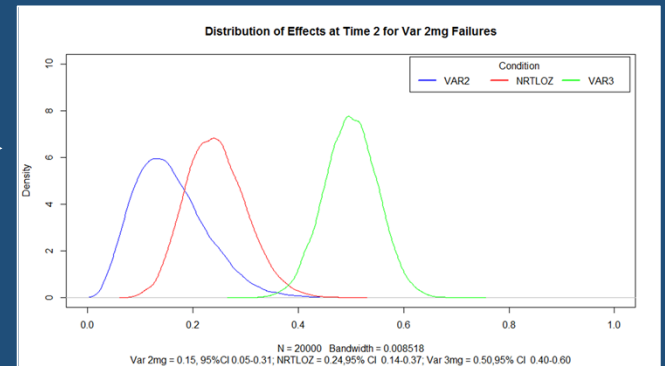


Response

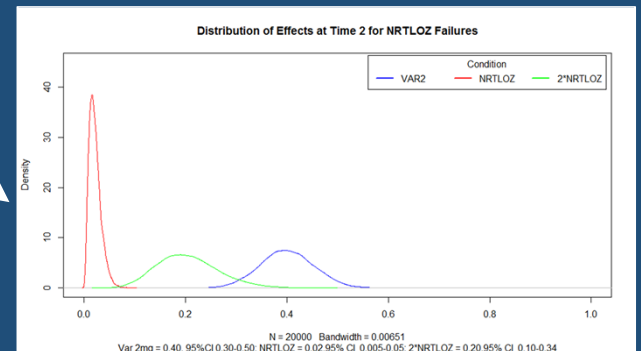
Probability of Success at Twelve Weeks

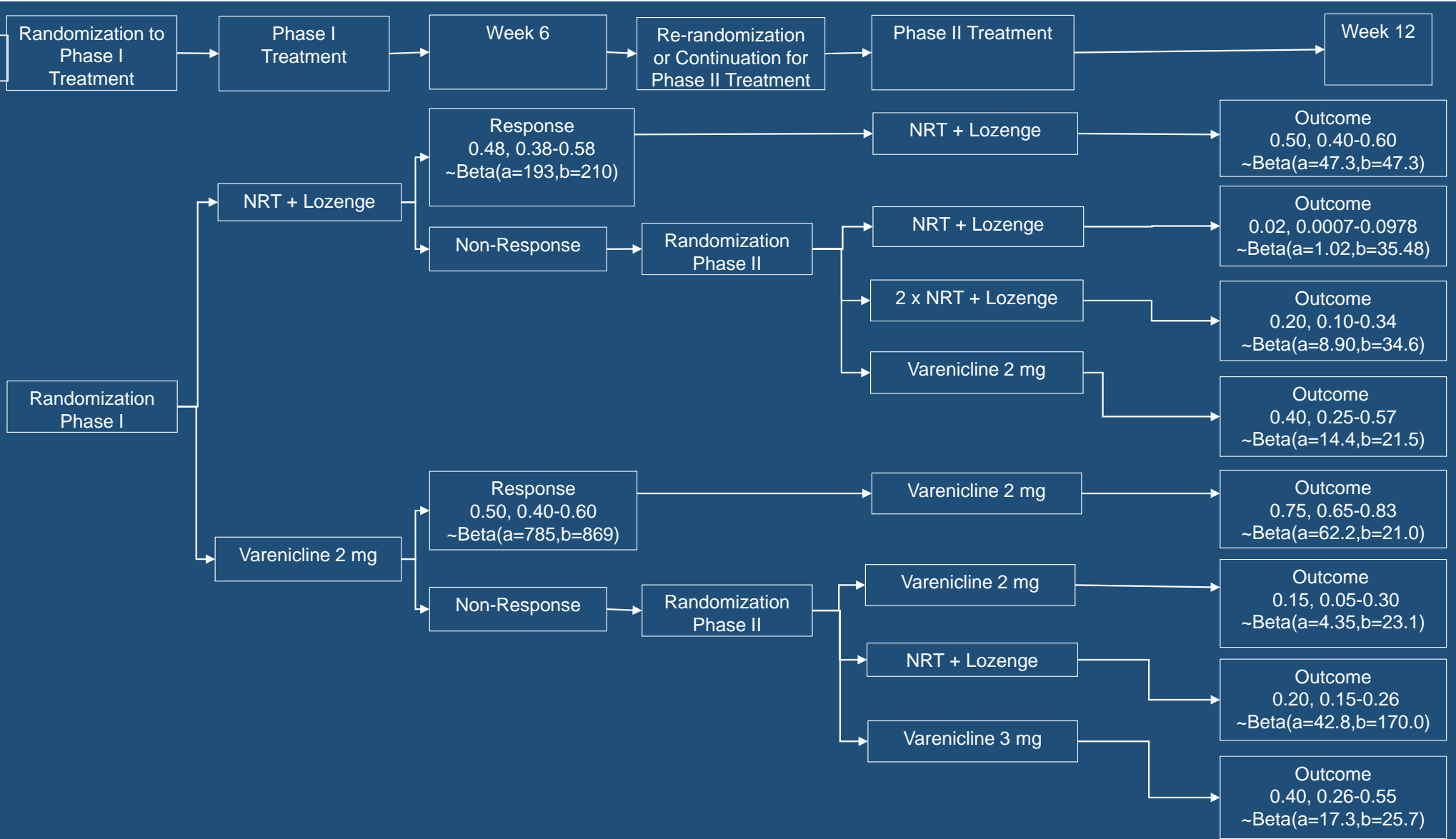


Non-Response to Var 2mg

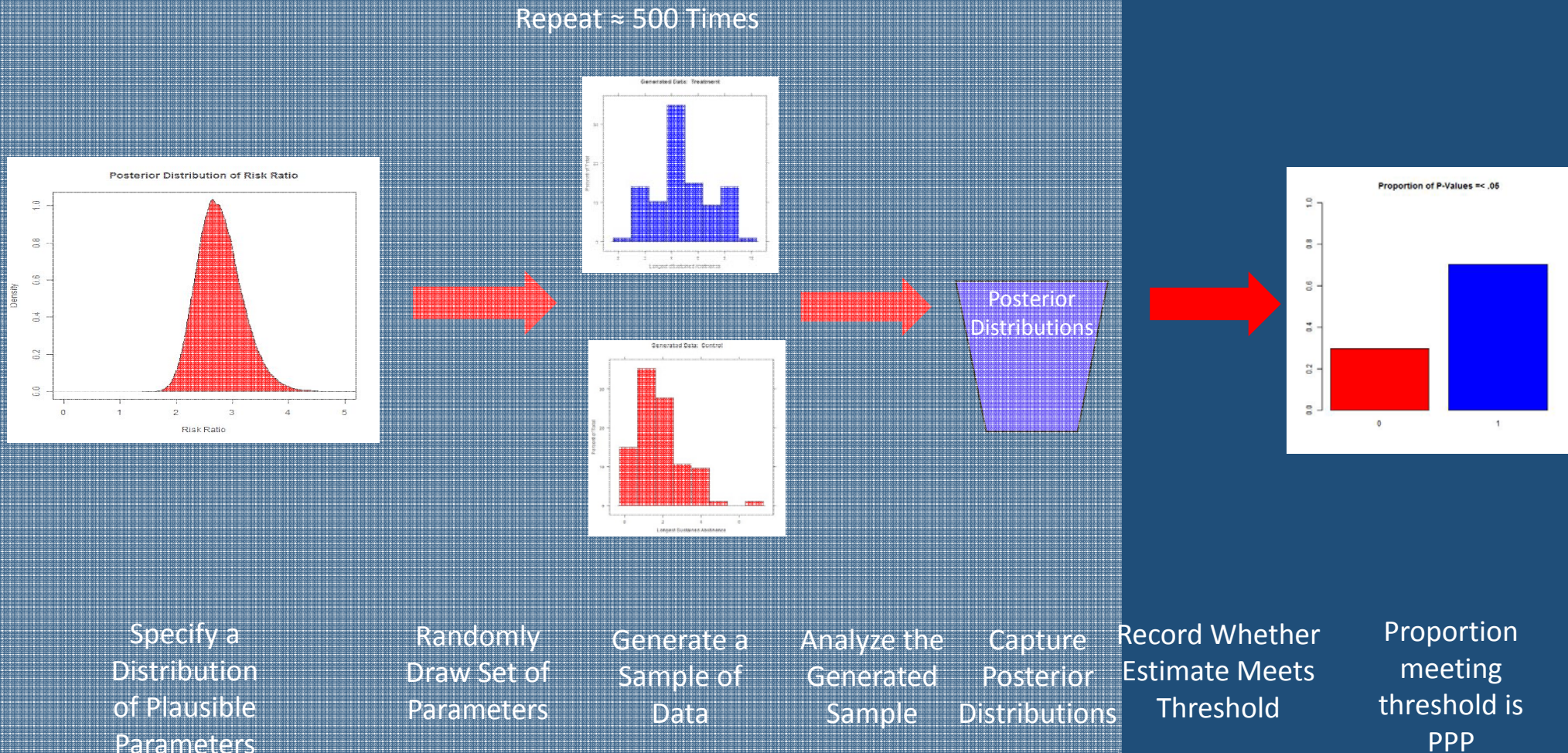


Non-Response to NRT + Loz. 2mg





Robust Bayesian Design



Simulation

- K = 500 clinical trials simulations
- Evaluate sample sizes ranging from 200 to 400.
- Examine various decision-rules $p(\text{O.R.} > 1 \mid \text{data}) = 0.80, 0.85 \dots 0.95$
- Calculate the proportion of trials that detect a given probability of benefit at each sample size.
- Repeat the preceding for each contrast implied by Hypotheses 1 -5.

Estimates Recovered from Simulations

Effect	Average Point Estimate	Average Interval (95% C.I.) Estimate
Responders		
NRT+Loz	0.507	0.427-0.587
Var 2mg	0.748	0.673-0.814
Non-Responders		
NRT+Loz→NRT+Loz	0.029	0.015-0.049
NRT+Loz→2*NRT+Loz	0.198	0.143-0.262
NRT+Loz→Var 2mg	0.406	0.333-0.481
Var 2mg→Var 2mg	0.153	0.107-0.210
Var 2mg → Var 3mg	0.395	0.322-0.471
Var 2mg → NRT+Loz	0.202	0.147-0.266

Predictive Probabilities and Effects from Simulations

Effect	Probability of Benefit	Power to Detect Probability of Benefit	Average Point Estimate	Average Interval (95% C.I.) Estimate
Effect of Treatment Phase I Responders	0.80	0.948	0.240	0.132-0.346
	0.85	0.934		
	0.90	0.924		
	0.95	0.902		
Treatment Phase I * Augmentation	0.80	0.828	0.197	0.099-0.293
	0.85	0.818		
	0.90	0.804		
	0.95	0.766		
Treatment I * Switching	0.80	0.874	0.203	0.106-0.298
	0.85	0.858		
	0.90	0.838		
	0.95	0.798		

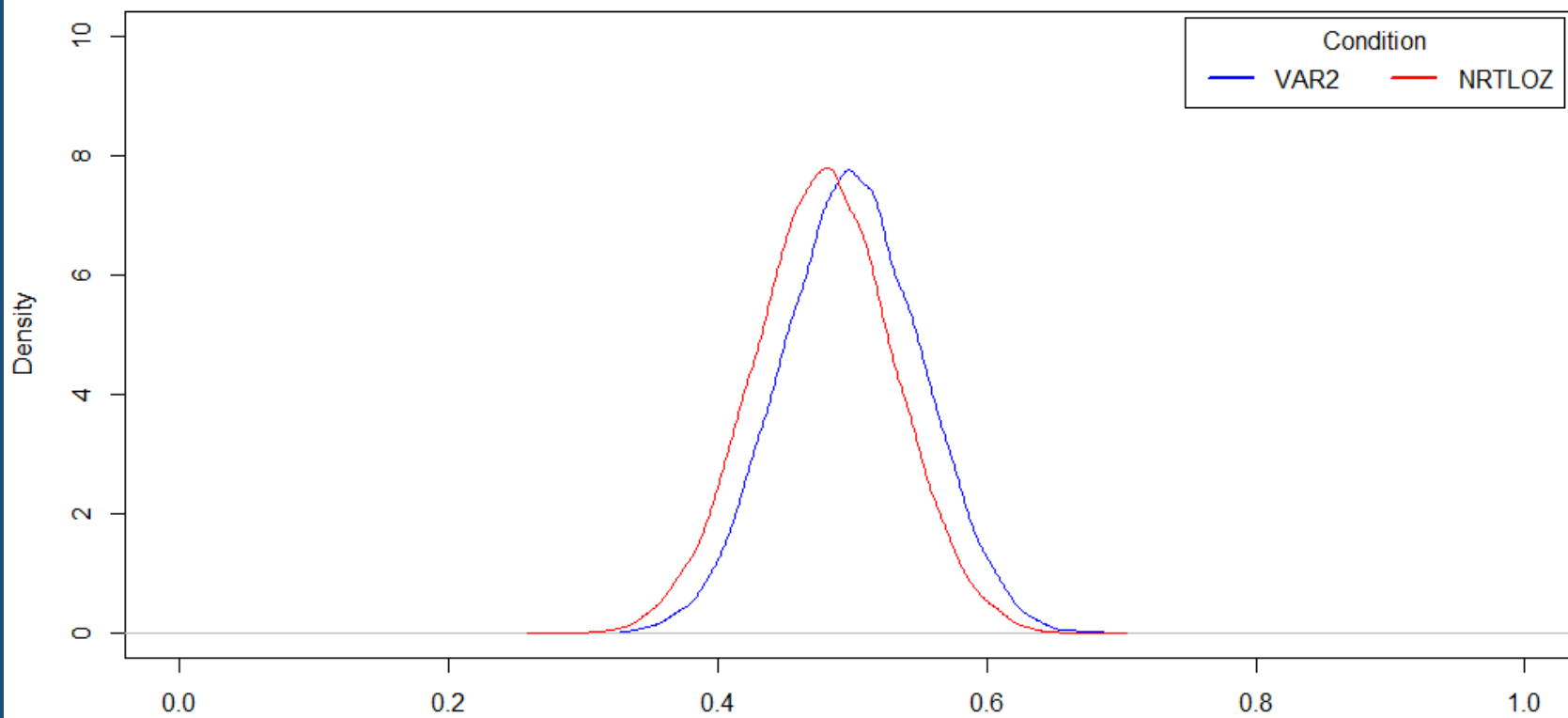
Predictive Probabilities and Effects from Simulations

Effect	Probability of Benefit	Power to Detect Probability of Benefit	Average Point Estimate	Average Interval (95% C.I.) Estimate
Treatment Phase II Following Non-Response to NRT + Lozenge				
Varenicline 2mg vs. NRT + Lozenge	0.80	0.998	0.376	0.298-0.455
	0.85	0.998		
	0.90	0.996		
	0.95	0.996		
2 x NRT + Lozenge vs. NRT + Lozenge	0.80	0.922	0.168	0.106-0.237
	0.85	0.914		
	0.90	0.906		
	0.95	0.894		
Varenicline 2mg vs. 2 x NRT + Lozenge	0.80	0.848	0.207	0.110-0.302
	0.85	0.834		
	0.90	0.822		
	0.95	0.802		
Treatment Phase II Following Non-Response to Varenicline 2 mg				
Varenicline 3mg vs. Varenicline 2mg	0.80	0.898	0.241	0.148-0.333
	0.85	0.886		
	0.90	0.874		
	0.95	0.852		
Varenicline 3mg vs. NRT + Lozenge	0.80	0.858	0.193	0.096-0.288
	0.85	0.844		
	0.90	0.818		
	0.95	0.788		

Summary

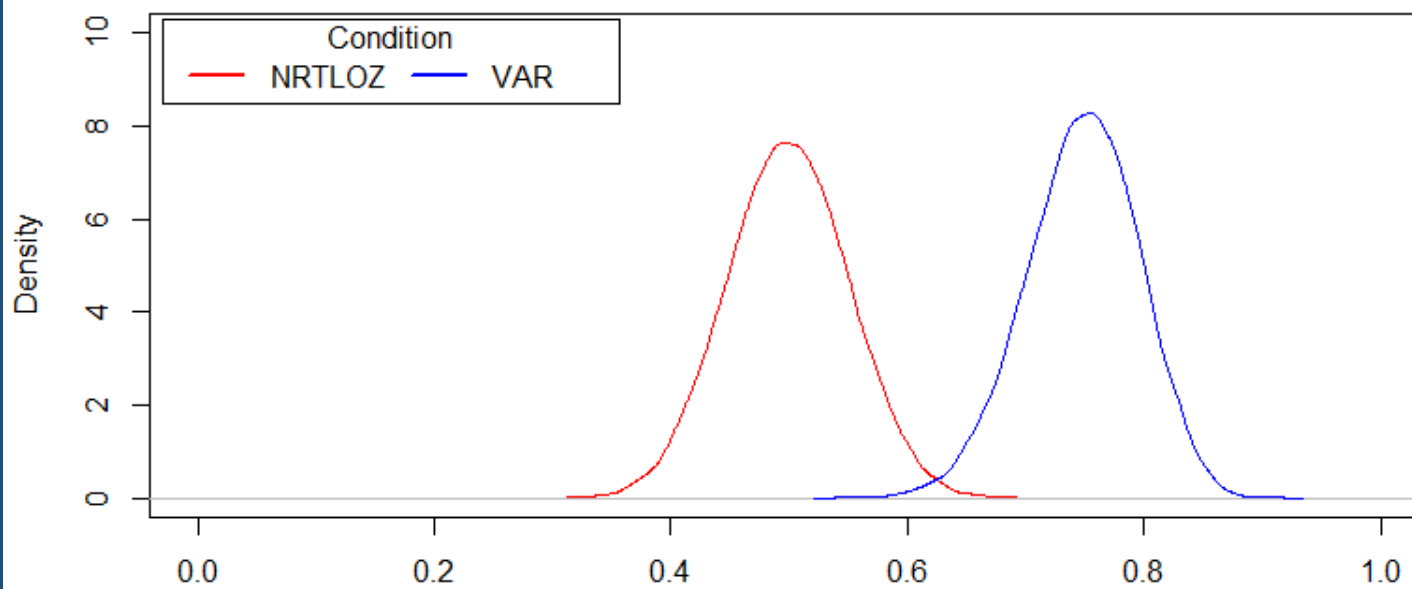
- Chronic, frequently relapsing disorders may require specialized designs.
- Simulation provides the only readily available means of evaluating the operating characteristics of such designs.
- Bayesian inference
 - Appealing for the decisions required at the conclusion of any pilot/early phase trial.
 - Probability model is more applicable than a Frequentist model
 - Optimizes the available evidence conditional upon the observed data.
- Robust planning should account for uncertainty surrounding investigator expectations.

Distribution of Effects at Randomization 1



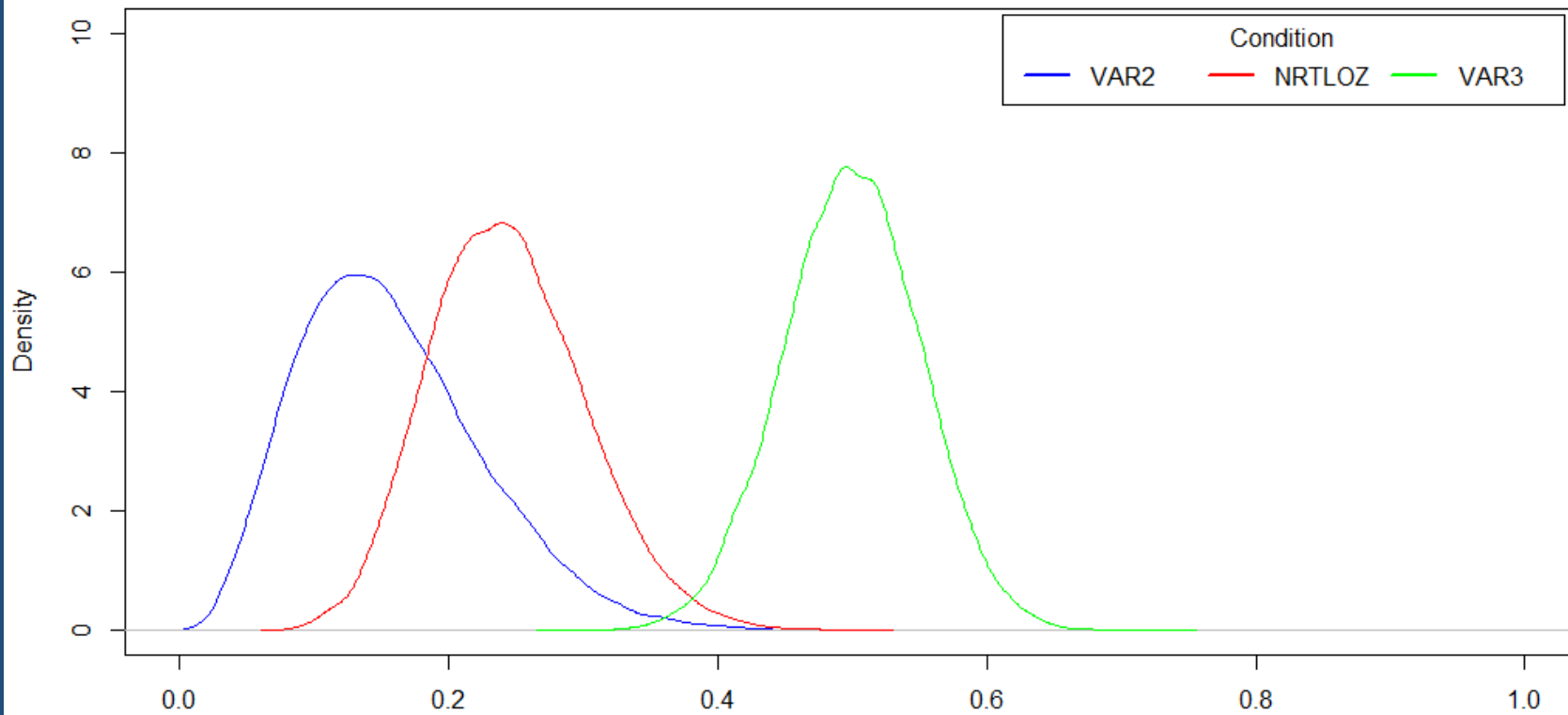
N = 20000 Bandwidth = 0.006436
Var 2mg = 0.50, 95%CI 0.40-0.60; NRTLOZ = 0.48, 95% CI 0.38-0.58

Distribution of Effects at Time 2 for Randomization 1 Successes



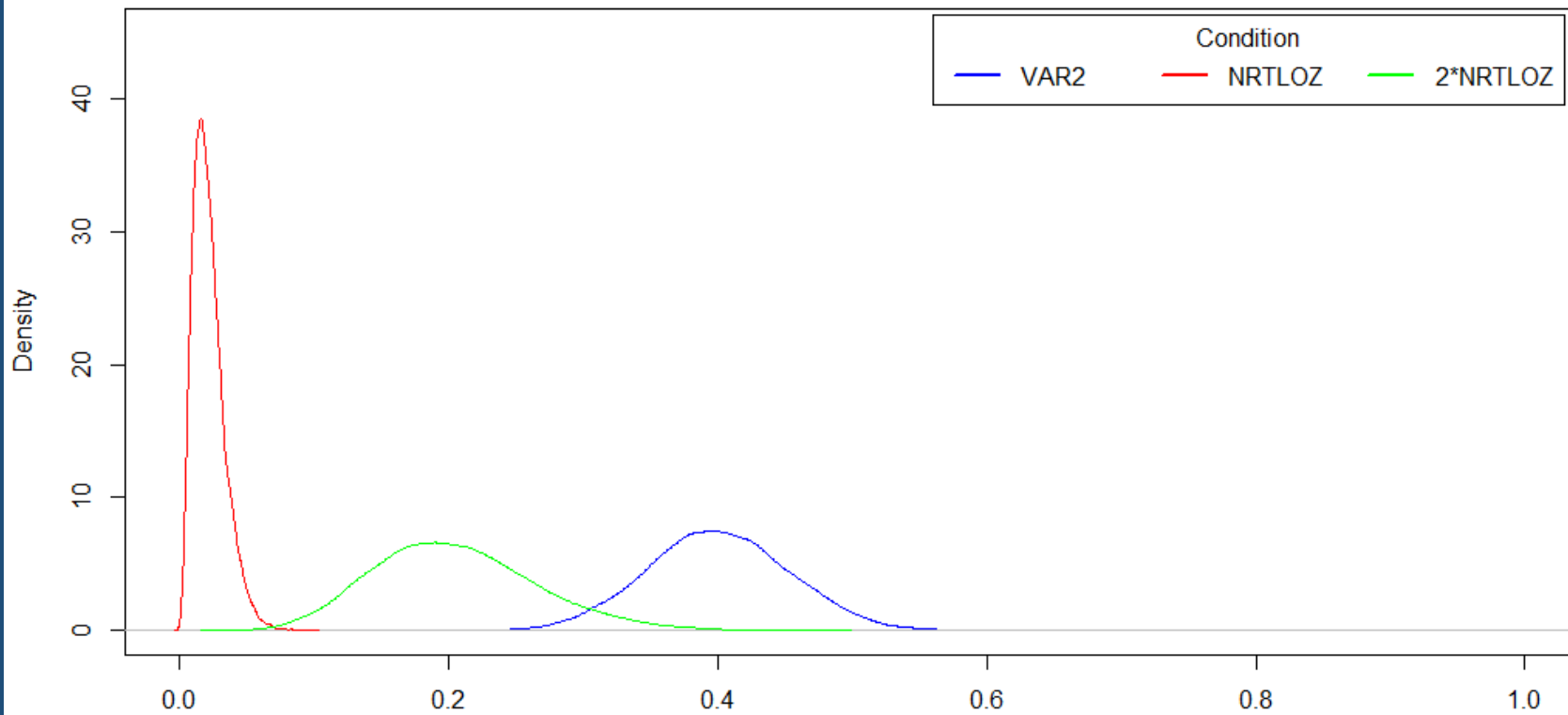
N = 20000 Bandwidth = 0.006346
Var 2mg = 0.75, 95%CI 0.65-0.83; NRTLOZ = 0.50, 95% CI 0.40-0.60

Distribution of Effects at Time 2 for Var 2mg Failures



N = 20000 Bandwidth = 0.008518
Var 2mg = 0.15, 95%CI 0.05-0.31; NRTLOZ = 0.24, 95% CI 0.14-0.37; Var 3mg = 0.50, 95% CI 0.40-0.60

Distribution of Effects at Time 2 for NRTLOZ Failures



N = 20000 Bandwidth = 0.00651
Var 2mg = 0.40, 95%CI 0.30-0.50; NRTLOZ = 0.02, 95% CI 0.005-0.05; 2*NRTLOZ = 0.20, 95% CI 0.10-0.34